

A wide river with a city skyline in the background under a clear sky. The water is calm with gentle ripples. The city buildings are visible along the horizon line.

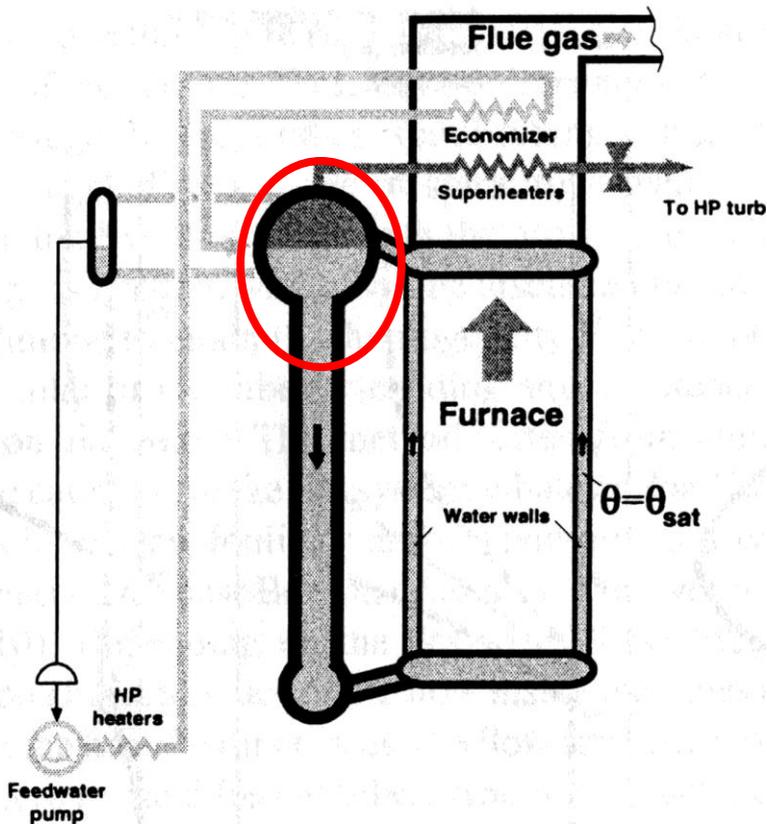
# NATURAL CIRCULATION

UNIT 20

# TYPES OF CIRCULATION

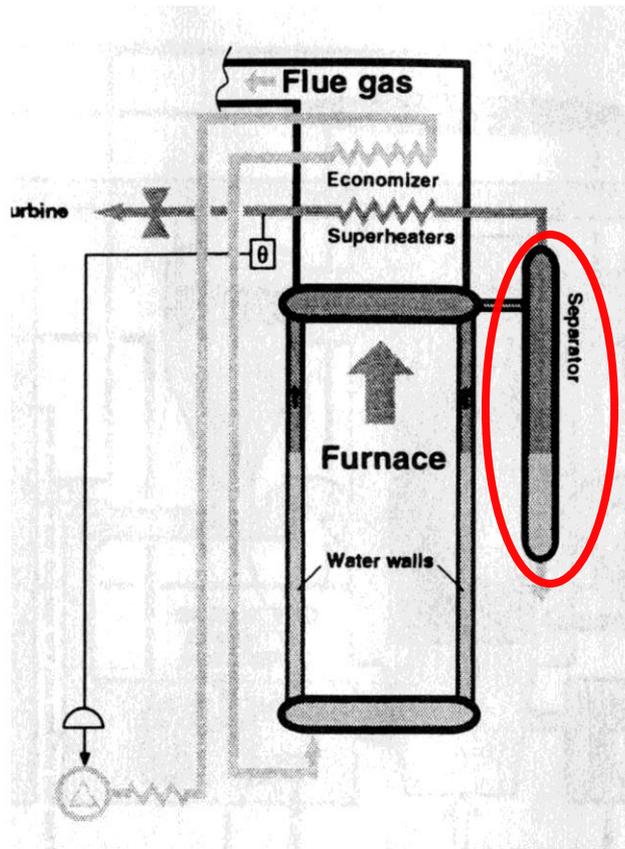
- NATURAL (Water-steam moves due to density difference)
- *FORCED ONCE THROUGH (water-steam is moved by pump)*
- ASSISTED CIRCULATION (pump helps water steam circulate)

# NATURAL CIRCULATION



- Water flows down the downcomer under gravity
- Water & steam rises through furnace evaporator tubes
- Steam leaves drum & passes through superheater
- Feed pump feeds water to the drum

# ONCE THROUGH FORCED

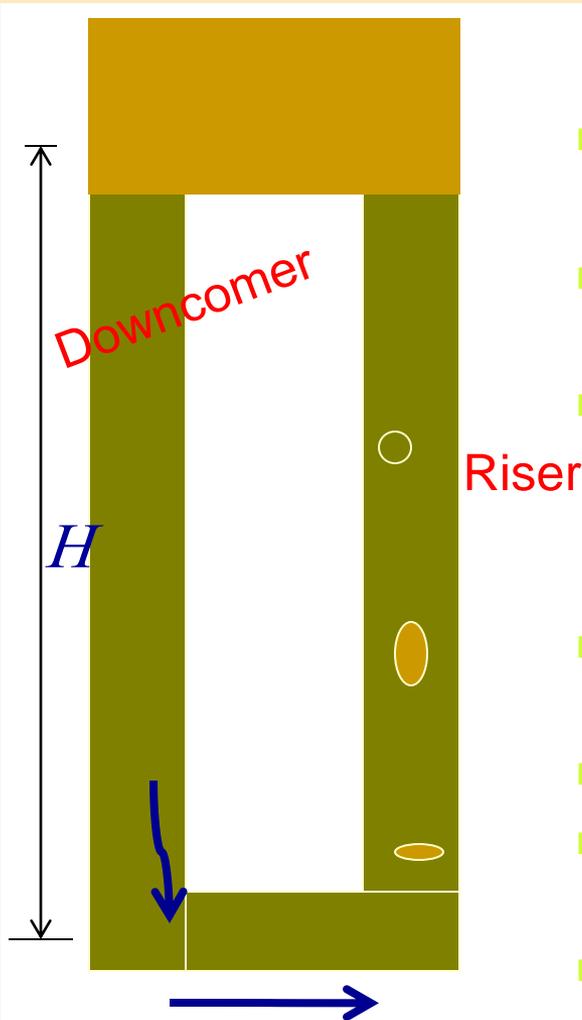


- Pump forces water through economizer, evaporator, separator & superheater.
- Water separated from steam in a vertical separator
- No recirculation

# ASSISTED CIRCULATION



# Why water-steam mixture circulates



- Pressure on left (downcomer- **water**),  

$$P_{dc} = H \gamma_w \quad \text{N/m}^2 \quad (\gamma = \rho g)$$
- Pressure on side (riser- **water+steam**)  

$$P_r = H \gamma_{sw} \quad \text{N/m}^2.$$
- As  $\gamma_w > \gamma_{sw}$   $P_{dc} > P_r$   
 So, water will flow from left column to right under a Motive head,  

$$P_m = H(\gamma_w - \gamma_{sw})$$
- Flow results in fluid resistance  $\Delta P_r$  reducing available head in riser
- Available head,  $P_{av} = P_m - \Delta P_r$
- When steady flow sets in available just balances fluid resistance in downcomer  $\Delta P_w$
- $\Delta P_w = P_{av}$
- $\gamma_{sw} = (\rho_{bottom} + \rho_{top})g/2$

# Circulation Ratio

- **Circulation ratio** is the ratio of water passing into a riser and the steam generated in it ( $CR = m/m_g$ ).
- Dryness fraction,  $x$  ( $m_g/m$ ) in the mixture leaving a riser is inverse of circulation ratio  
( $x = G''/G = 1/CR$ )
- $5 < CR < 25$   
 $m =$  water flow in DC=  
 $m_g + m_l =$  Mixture  
flow in riser

# Slip ratio

- Void fraction =  $\alpha$   
$$\alpha = \frac{\text{Vol of steam}}{\text{Vol of liquid} + \text{Vol of steam}}$$
- In a riser steam rises faster than saturated water
- SLIP RATIO,  $S$  is ratio  
$$S = \frac{\text{Steam velocity}}{\text{Water velocity}}$$
- Area ratio  
$$\alpha = A_g / (A_g + A_l) \text{ at a section}$$
- Specific volume of a mixture,  $v$   
$$v = (1-x)v_l + x v_g$$
- Density of mixture, =  
$$\alpha \rho_g + (1-\alpha) \rho_l$$

# Sp. Wt of mixture (sec. 12-1-5)

- Define superficial (reduced) velocity,  
 $W = (\text{Volume flow rate}/\text{Tube cross-section area})$
- Weight flow rate of steam,  $G'' = W''A(\gamma''/g)$
- Water flow rate ( $G$ ) becomes mixtures of steam ( $G''$ ) & saturated water ( $G'$ ) in evaporator.
- $G = G' + G''$   
Substitution gives  $W = W' + W'' (\gamma''/\gamma')$
- Volume fraction of steam

$$\beta = \frac{W'' \cdot A}{W'' \cdot A + W' \cdot A} = \frac{1}{\frac{W}{W''} + 1 - \frac{\gamma''}{\gamma'}}$$

# Pressure drop

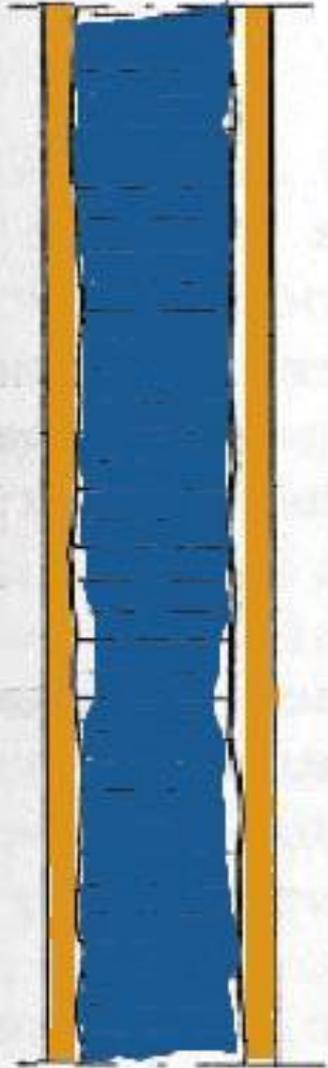
- Velocity in downcomer lies between 0.4 to 1.4 m/s

$$\Delta P = \frac{fL}{D} \rho \frac{V^2}{2}$$

$$m = n \frac{\pi}{4} D^2 \rho_l V$$

# Area fraction for steam in riser tubes

Mean velocity of steam-water mixture



Fraction of tube cross-section area occupied by steam =  $\phi$

Actual steam velocity =  $W''/\phi$

Actual water velocity =  $W/(1-\phi)$  m/s

$\phi$  depends on pressure, angle of tube  $W''/W$ , and  $W^2/d$

These are found from graphs (12-3)

$$\phi = \phi_0 K_\alpha K_p$$

Considering buoyancy of steam (weight of displaced water) in a section the motive force  $P$  drives steam in riser is written as

$$P = H_s \phi (\gamma' - \gamma'')$$

# Steam-water flow mixture flow

- For a small section weight of mixture is equal to the sum of steam & water. It gives

$$\gamma_m = \phi \cdot \gamma' + (1 - \phi) \gamma''$$

- Mean Sp. Wt of mixture is written as  $\lambda_m = \frac{\gamma'}{1 + \frac{W''}{W'} \left(1 - \frac{\gamma''}{\gamma'}\right)}$
- Av. velocity of mixture

$$W_m = \frac{W'' \cdot \gamma'}{\gamma_m} = W + W'' \left(1 - \frac{\gamma''}{\gamma'}\right)$$

- (Hydrostatic pressure-Flow resistance +drum pressure) in Downcomer =  
(Hydrostatic pr + Flow resistance + Pressure at top) in Riser

# Pressure drop in steam water mixture

$$\Delta P_m = K \frac{W_m^2}{2g} \gamma_m ; W_m \gamma_m = W \gamma'$$

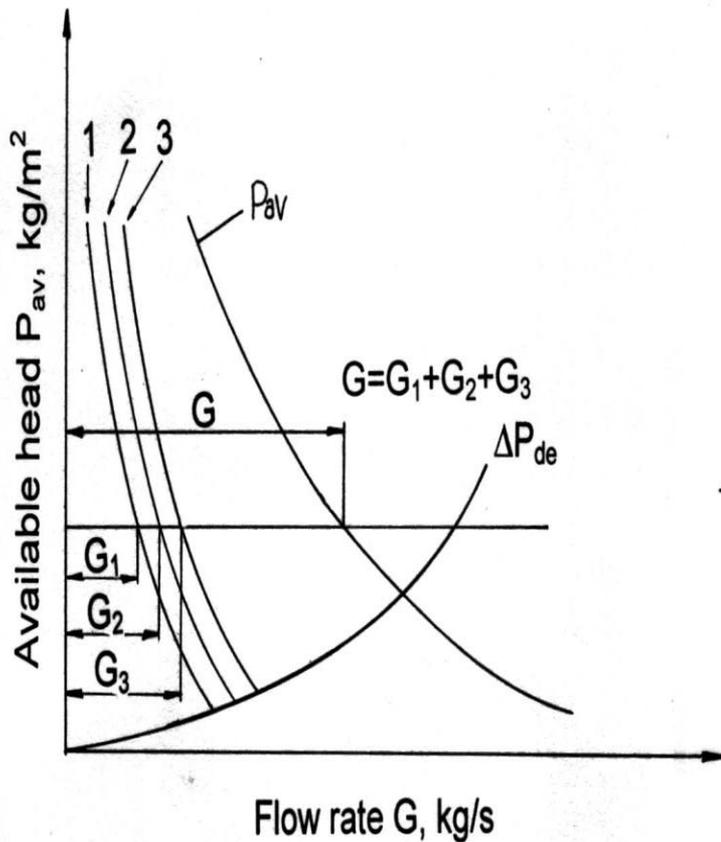
$$\Delta P_m = K \frac{W_m}{2g} W \gamma' = K \frac{W^2}{2g} \gamma' \left( 1 + \frac{W''}{W} \left( 1 - \frac{\gamma''}{\gamma'} \right) \right)$$

$$K = \frac{fL}{d} + \Sigma k$$

# Circulation calculations- I

1. Available heads across any riser tube,  $P_{av1}$  must be equal to the resistance in the downcomer,  $\Delta P_{dc}$
2. First calculate  $\Delta P_{dc}$  for various values of  $G$  and plot them against  $G$
3. Then assume a flow rate  $G_1$  through riser 1. Calculate steam generated in it for a given heat flux.
4. Calculate motive head  $P_m$  & flow resistances  $\Delta P_r$ ,
5. Find its available head in the riser,  $P_{av1}(= P_m - \Delta P_r)$ .
6. Repeat it with other values of flow  $G_2, G_3$  etc through riser 1.
7. Plot this on the same graph against  $G$
8. Intersection of these two graphs gives the circulation

# Circulation calculations -II



- Plot  $P_{av1}$  against  $G_1$  etc.
- Repeat it for other risers,  $G_2$ ,  $G_3$  etc.
- Resistance of downcomer  $\Delta P_{dc}$ , is calculated & plotted against total flow rate,  $G = G_1 + G_2 + G_3 + \dots$
- Intersection of two curves ( $\Delta P_{dc} = P_{av}$ ) gives the circulation

# Height of economizer section (12-4)

- Economizer section of riser tubes picks up sensible heat. Pressure at this point,  $P_{ec}$  is higher than that in the drum due to hydrostatic head

$$P_{ec} - P_d = H \gamma'_d - H_{ec} \gamma'_{ec} - \Delta P_{dc}$$

$$\Delta P_{dc} = [f(H + H_{ec})/d + K_{en}] W^2 / 2g$$

- Saturation enthalpy increases with pressure. Its value at the point of boiling

$$h' = H_{sat} + dh/dP \cdot \Delta P$$

- Drum receives  $G'$  water from riser with enthalpy  $h'$  and cold make up water  $G''$  with enthalpy  $h_1$ . Water mixture  $G$  enters downcomer with enthalpy  $h_m$ . So,

$$h_1 G' + h'(G - G'') = h_m G$$

$$h_m = [(K-1) \cdot h' + h_1] / K$$

- Heat added to this water for boiling,  $\Delta h_{ud} = h' - h_m = (h' - h_1) / K = Q / G$

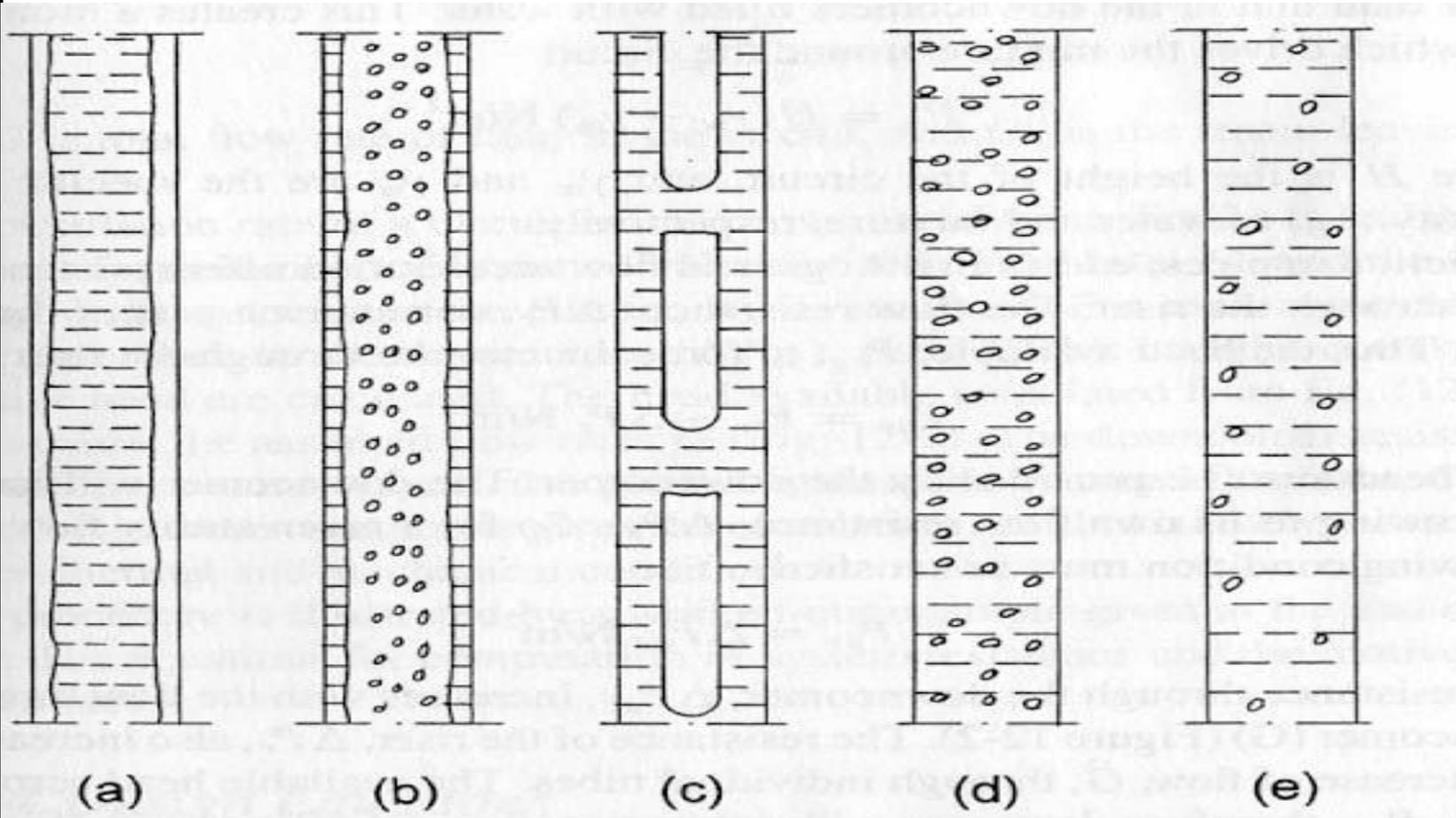
- Where  $Q$  is the heat received by the economizer section

$$Q = H_{ec} q \text{ where } q \text{ is the heat absorbed per unit height of the section.}$$

# PROBLEM

- A furnace wall of a natural circulation boiler (18m long, 76.2 mm OD and 6.1 mm thick) receives saturated water at 80 bar and 1.5 m/s velocity. Assuming a circulation ratio of 12.5 and a slip ratio (velocity of steam/velocity of saturated water) of 1.2 determine:
  - a) the pressure head developed across 18m
  - b) the heat transfer rate per unit projected area of the riser tube
  - c) the void fraction (volume fraction of steam) at riser exit

# TYPES OF BOILING IN A TUBE



Film

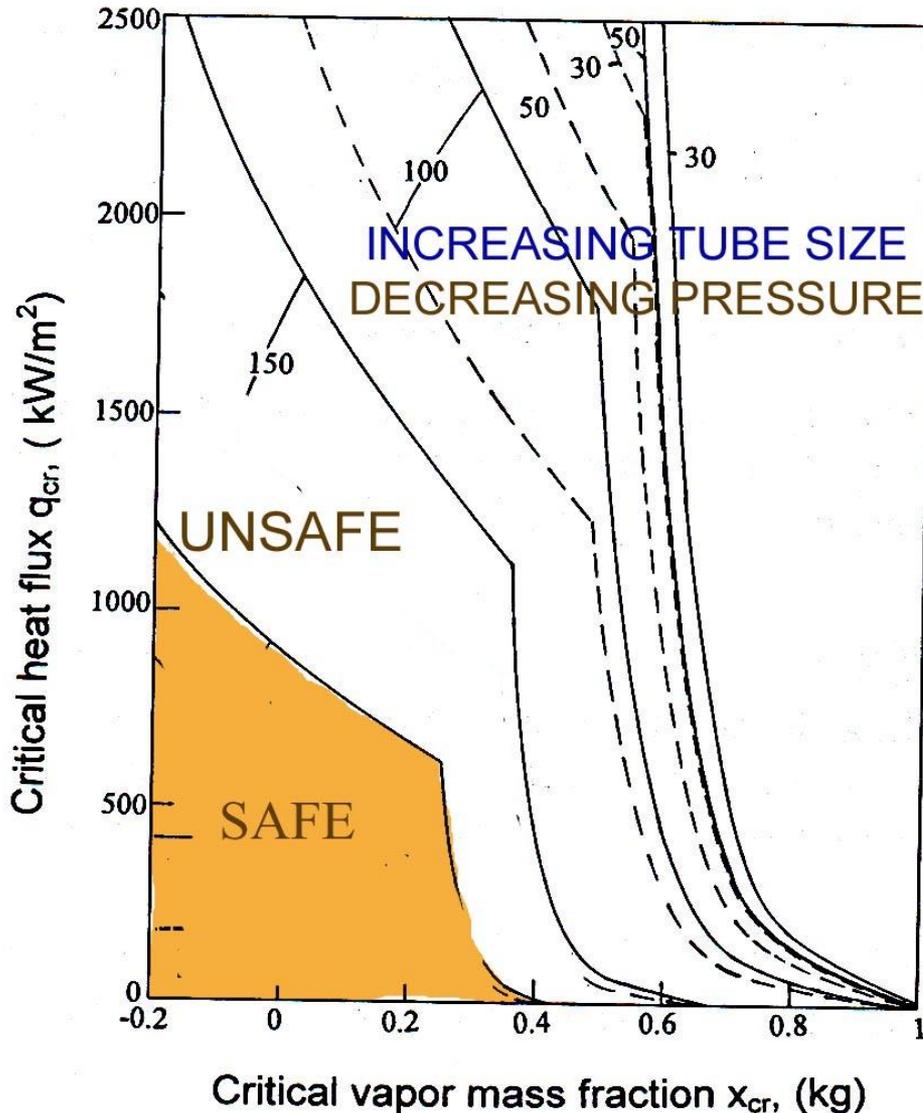
SLUG

NUCLEATE SUB-COOL

# CRITICAL HEAT FLUX (CHF)

- If heat flux on a tube exceeds CHF, film boiling begins sharply raising its metal temperature due to reduced heat transfer
- Tube may burst due to:
  1. Metal temperature rises to where creep life is exceeded
  2. Dissolve solids (NaOH) concentrate on tube inner wall causing caustic attack (Table 14-4)
- CHF depends on
  - Steam fraction is water
  - tube orientation
  - flow condition
  - tube material & inner surface finish

# Critical heat flux



Critical heat flux & steam fraction depends on many factors. For example for  $4.9 < P < 29.4$  bar

$$Q_{cr} = 1.84 \cdot 10^9 \exp(0.137P) / [x^{8.66} m^{2.66} (1000d)^{.56}]$$

$$X_{cr} = 10.79 \exp(0.017P) / [q^{.125} m^{.333} (1000d)^{.07}]$$

# INCLINED TUBE

- In an inclined tube lighter steam collects near the upper surface and heavier water on the lower wall. Thus upper surface reaches critical condition before the lower surface.

$$\begin{aligned} X_{upper} &= X_{cr} - \Delta X_{cr} \\ X_{lower} &= X_{cr} + \Delta X_{cr} \end{aligned}$$

$$\Delta x_{cr} = \frac{16}{(2 + Fr')^2},$$

$$Fr' = \frac{x_{cr} \cdot m}{\sqrt{g \cdot d \cdot \rho_s (\rho_l - \rho_s) \cos \theta}}$$